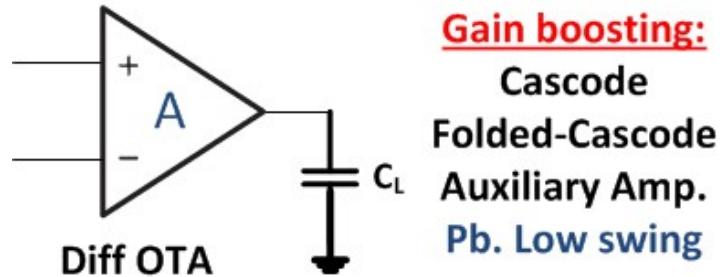


Rail to Rail input and output amplifiers for Low-Voltage and Low-Power Implementations

Adil KOUKAB

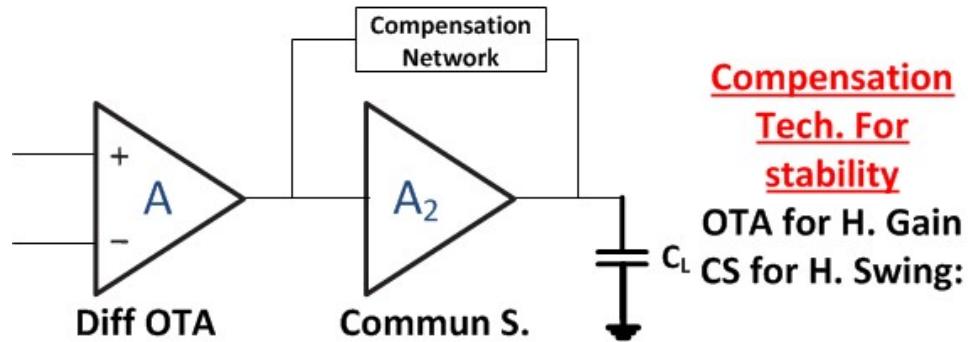
Rail to Rail in Single and Multistage Amps

One-stage



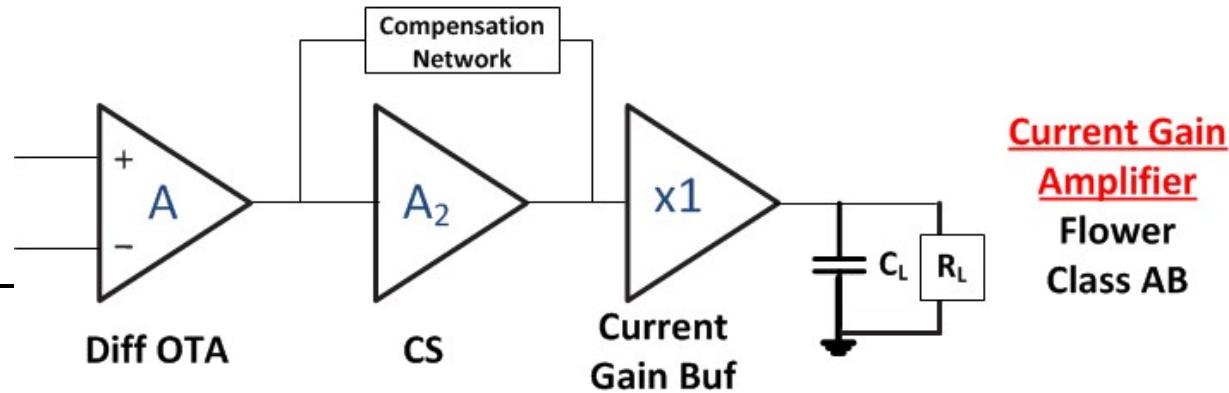
Gain boosting:
Cascode
Folded-Cascode
Auxiliary Amp.
Pb. Low swing

Two-stages



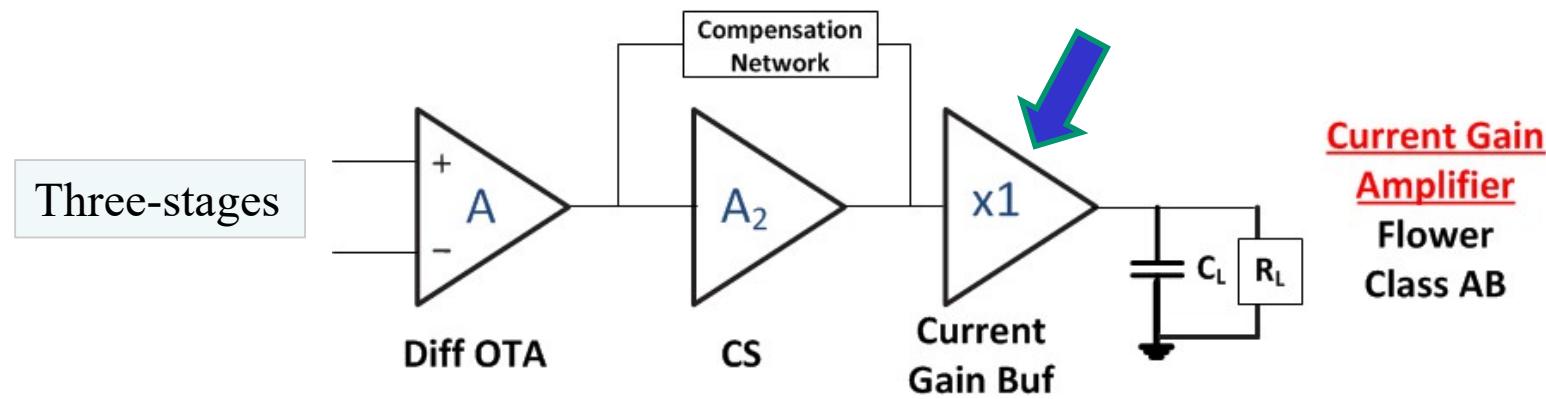
Compensation
Tech. For
stability
OTA for H. Gain
CS for H. Swing:

Three-stages

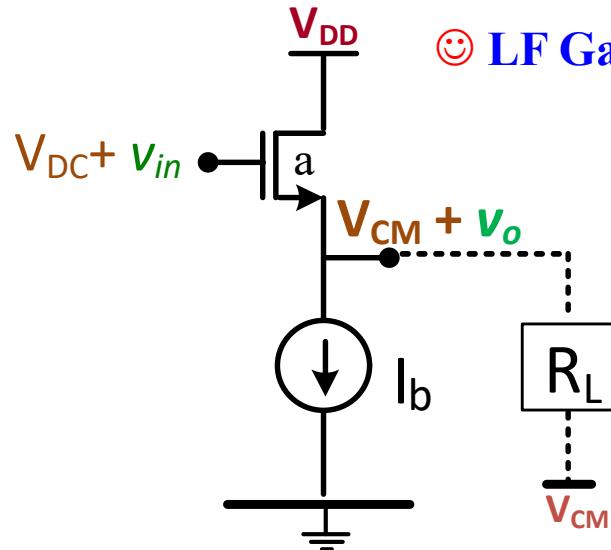


Current Gain
Amplifier
Flower
Class AB

OA Output Buffer for low resistive load: Class A, B and AB



Source Follower in LV-LP implementations



😊 LF Gain: $A_o = \frac{g_{m,a}}{g_{m,a} + g_{ds,a} + g_{ds,b} + R_L^{-1}}$ $\xrightarrow{R_L \gg 1/g_{m,a}} 1$

😊 R_o :

$$R_o \approx \frac{1}{g_{m,a}}$$

😊 C_{in} :

$C_{in} \approx C_{GD}$
(no Miller effect because $\Delta V_{in} \approx \Delta V_o$)

➤ $V_{inMax} = V_{DD}$; $V_{inMin} = V_{GS} + V_{SDsatb}$

Input swing = $V_{DD} - V_{GS} - V_{SDsatb}$

➤ Output swing = $V_{DD} - V_{GS} - V_{SDsatb}$ (⊗ for LV)

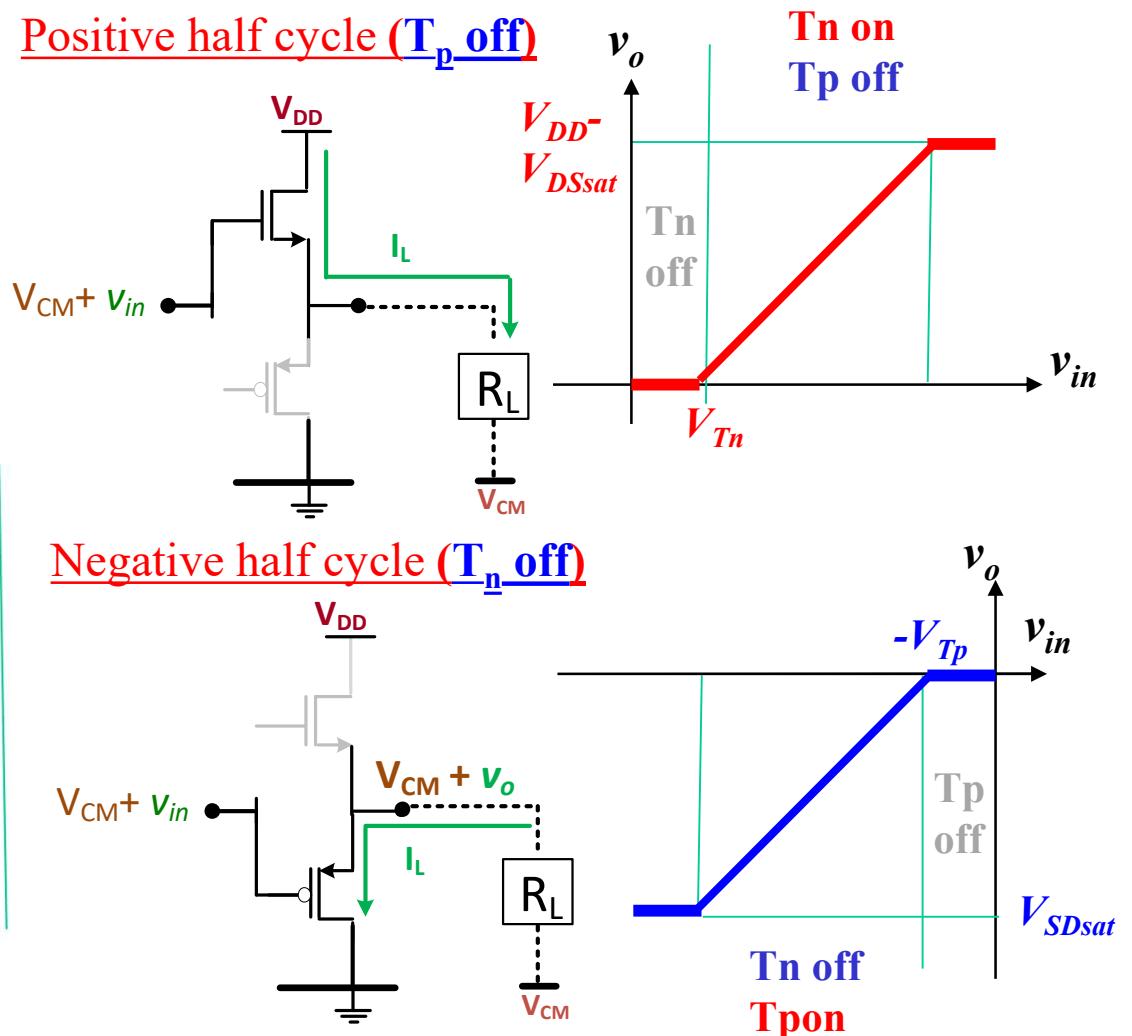
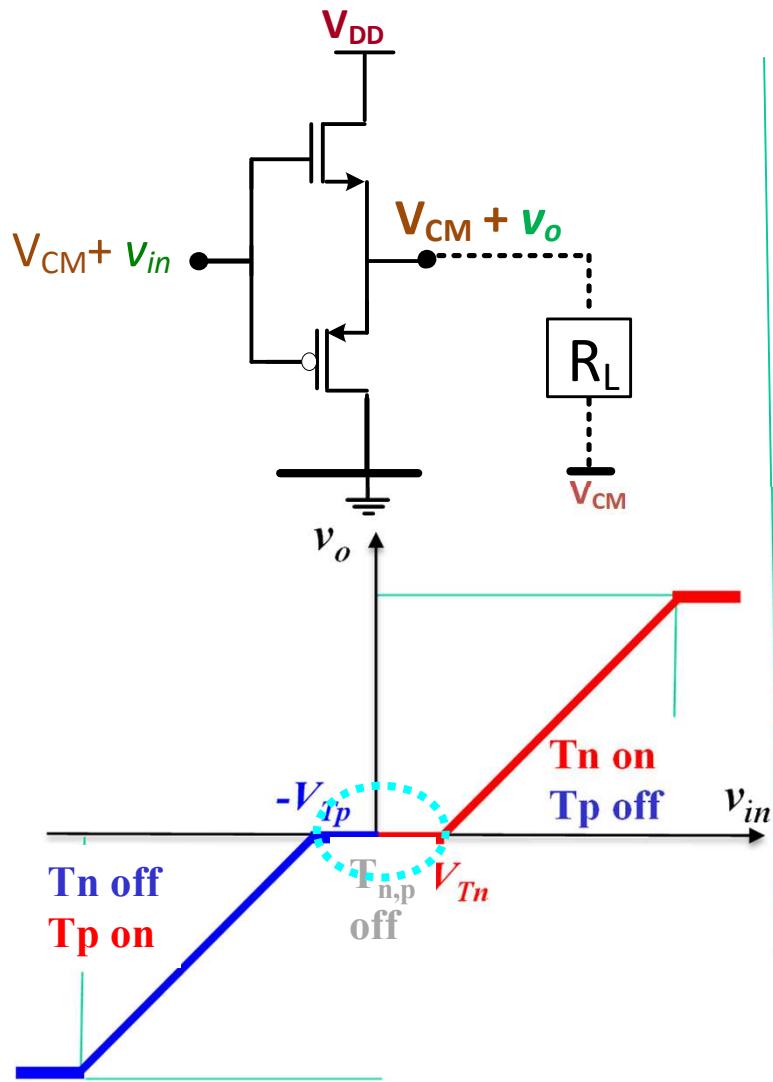
$v_{omax} = I_b R_L$ (⊗⊗ for LP)

- Main drawback: Power consumption:

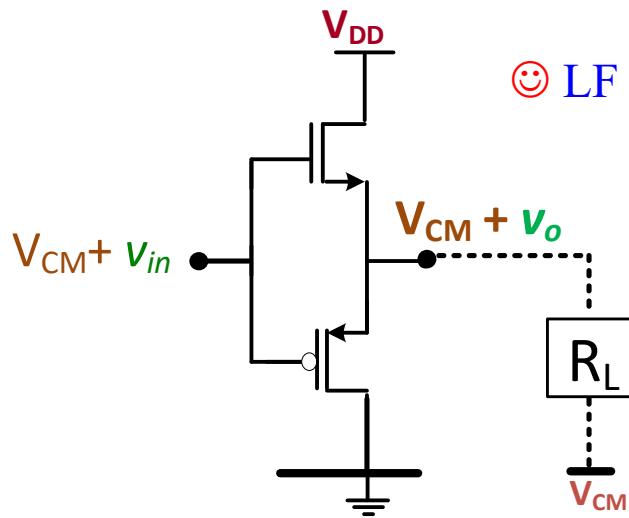
- Ex: for $R_L = 100 \Omega$ and $v_o = 1V \rightarrow I_{bmin} = 10 \text{ mA}$
even in quiescent condition (Class A)



push-pull “source to source” follower: Class B



push-pull “source to source” follower: Class B



☺ LF Gain:

$$A_o \approx \frac{g_{m,n,p}}{g_{ds,n,p} + g_{m,n,p} + R_L^{-1}} \xrightarrow{R_L \gg 1/g_{m,n,p}} 1$$

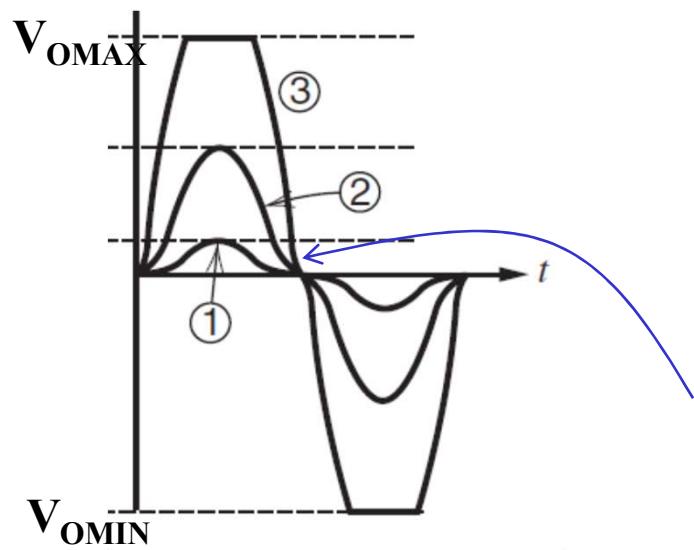
☺ R_{out}:

$$R_o \approx \frac{1}{g_{mn,p}}$$

☺ C_{in}:

$$C_{in} \approx C_{GDn} + C_{GDp}$$

(no Miller effect because $\Delta V_{in} \approx \Delta V_o$)



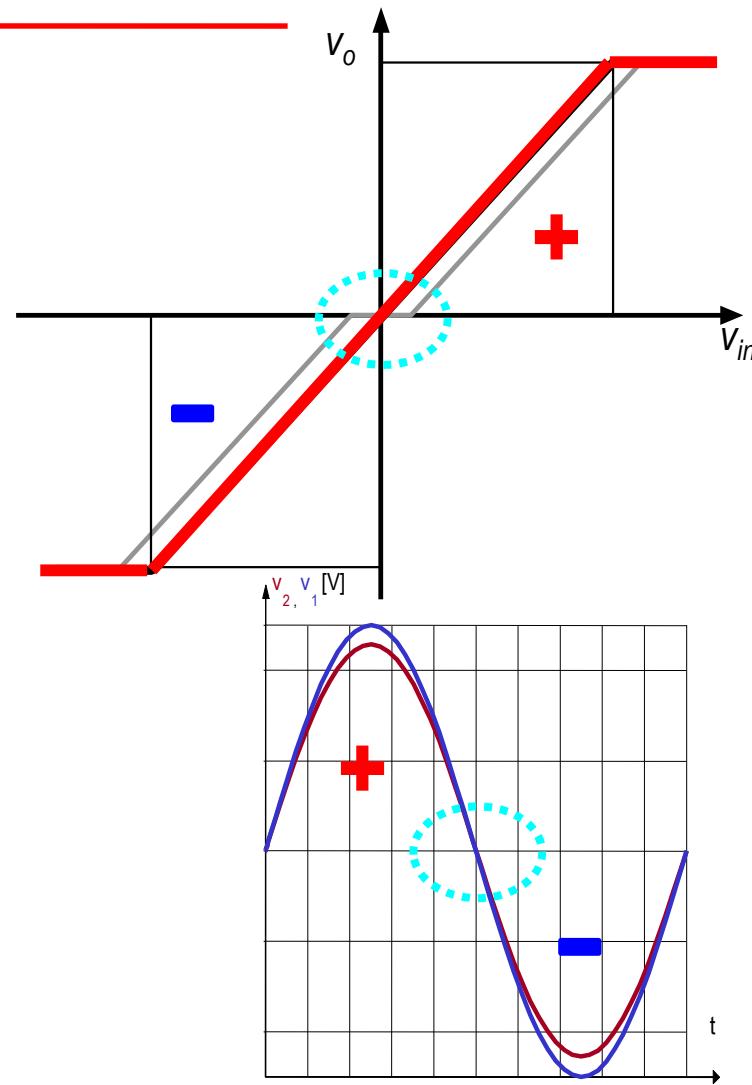
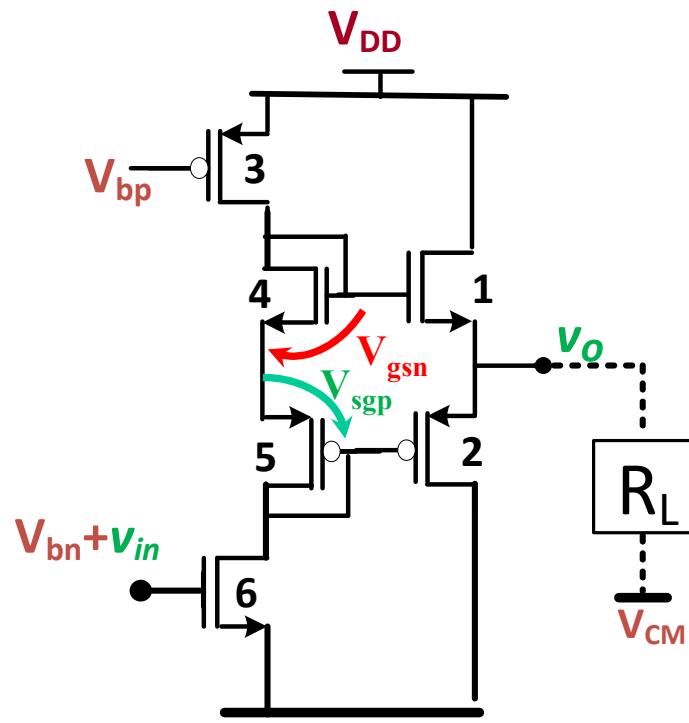
➤ $V_{inMin} = V_{GSn} + V_{SDsatp} \approx V_{SDsatp}$
 $V_{inMax} = V_{DD} - V_{DSsatn} - V_{SGp} \approx V_{DD} - V_{DSsatn}$
 Input swing = $V_{DD} - V_{DSsatn} - V_{SDsatp}$

- Output swing $\approx V_{DD} - V_{DSsatn} - V_{SDsatp}$ (~rail to rail ☺ for LV)
- Class B no current in the quiescent condition (☺ for LP)
- Crossover distortion when the two transistors are off (Linearity issue ☹)

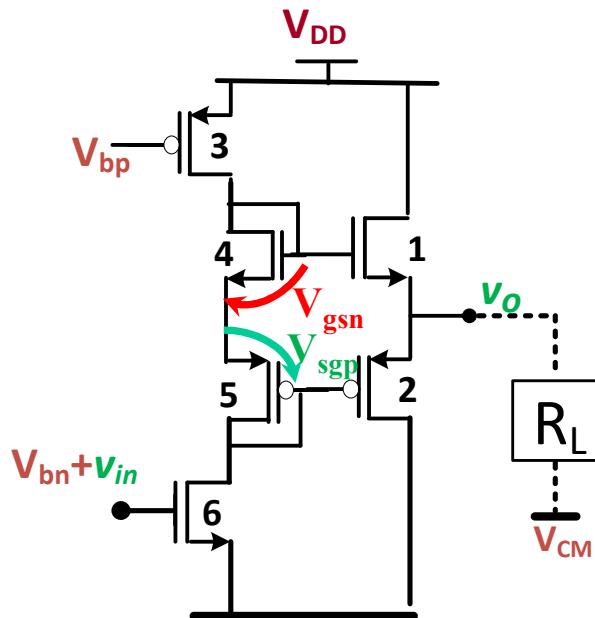


→ solution class AB

push-pull source-follower: Class AB



push-pull source-follower: Class AB



- Transistors 4 and 5 act like a floating voltage source. 3 is a current source, so the voltage across 4 and 5 is constant.
- 6 forms a common-source stage that allows moving the floating voltage source up and down. This eliminates the region where neither M1 nor M2 is conducting. Therefore crossover distortion is reduced. (☺☺ for Linearity)
- The dimensioning is usually done for the quiescent condition where the output signal is zero. For this case 4/1 and 5/2 act like current mirrors. The ratio determines the quiescent current.

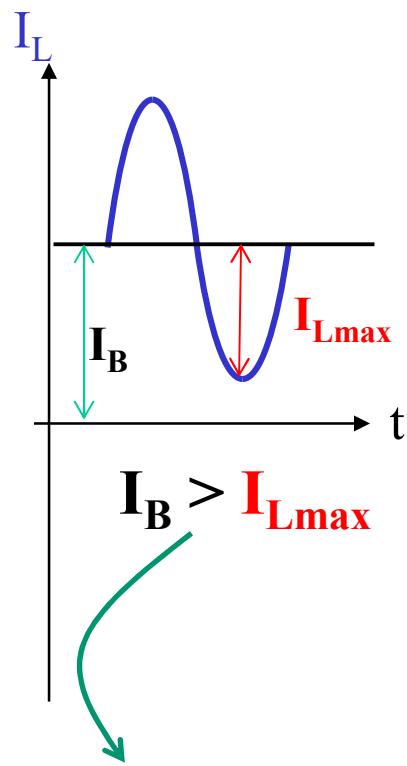
$$A_o \approx -\frac{g_{m6}}{g_{ds6} + g_{ds3}}$$

$$R_o \approx \frac{1}{g_{mn} + g_{mp}}$$

- Small quiescent current I_B and no crossover distortion (☺ for LP)
- Output swing $\approx V_{DD} - V_{DSsat3} - V_{GS1} - V_{SG2} - V_{SDsat6}$ (⊗ for LV)

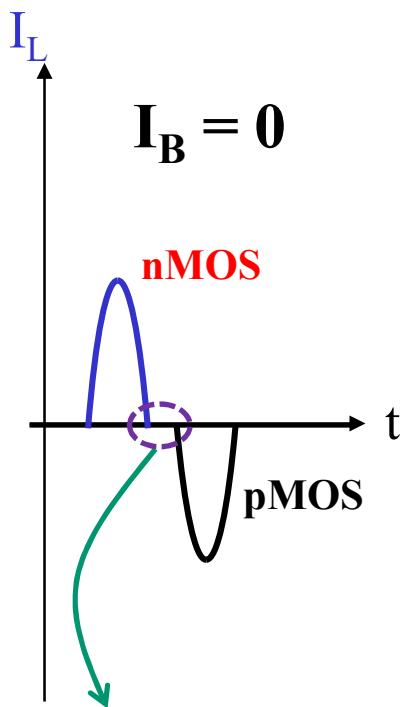
Summary: Class A, B and AB

Class A



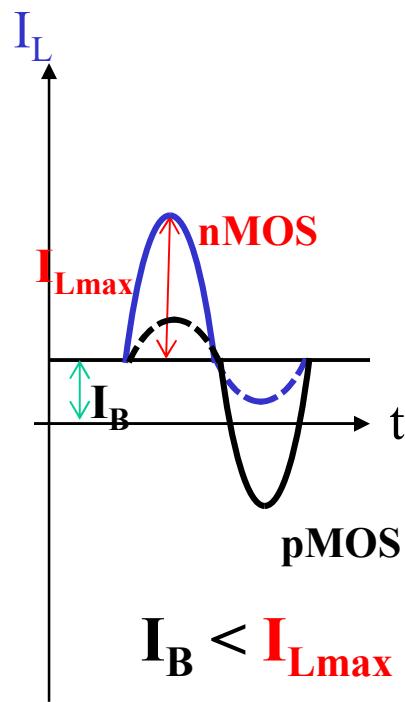
⌚ High power

Class B



⌚ Crossover
Distortion

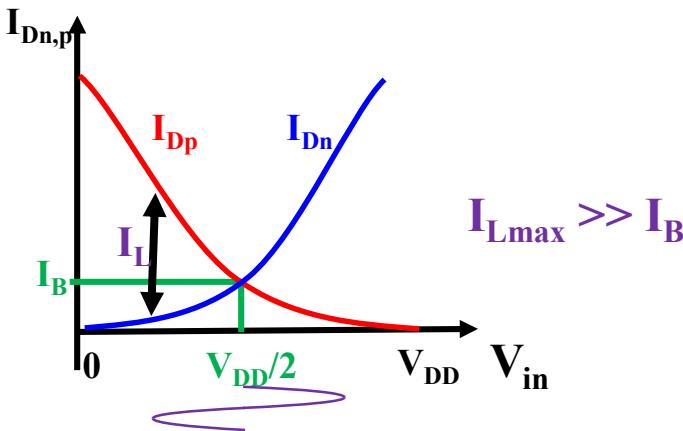
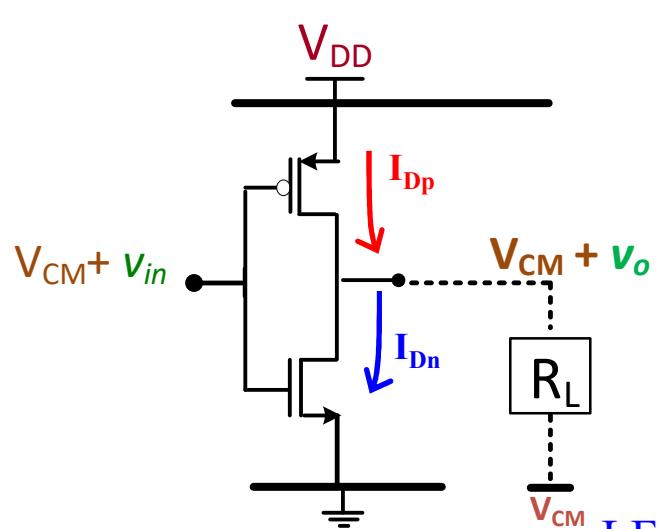
Class AB



⌚ Lower power
⌚ Lower Distortion

⌚ Low ΔV_{omax} (LV ☺?)

Push-Pull “drain to drain” or “Rail to rail”, Common Source Amplifier: Class AB



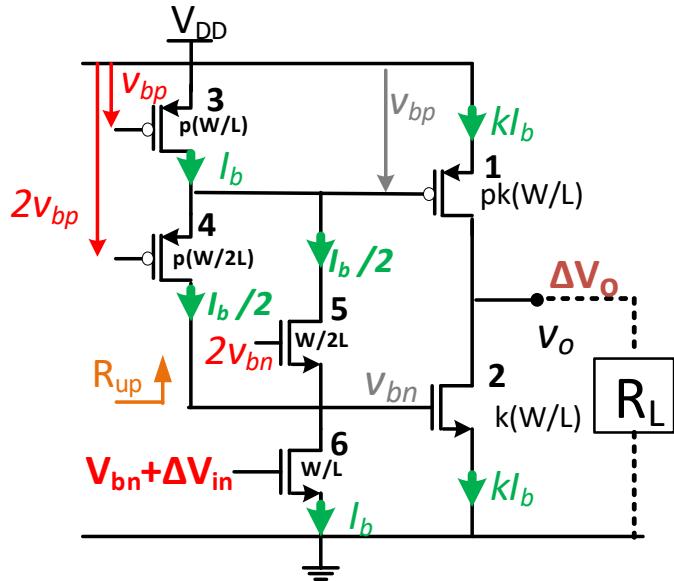
LF Gain with R_L :

$$A_o = -\frac{g_{mn} + g_{mp}}{g_{dsn} + g_{dsp} + R_L^{-1}} \approx -(g_{mn} + g_{mp})R_L \propto R_L$$

- $V_{OMaX} = V_{DD} - V_{SDsatp}$; $V_{OMin} = V_{DSsatn}$
- Output swing $\approx V_{DD} - 2V_{DSsat}$ (~Rail to Rail) (☺ for LV)
- Quiescent current corresponds to $V_{in} = V_{out} = V_{CM} = V_{DD}/2$
- Class AB quiescent current = I_B quite small ($I_{Lmax} > I_B$) (☺ for LP)
- Weak control of Quiescent current: it depends on the power supply ☹
- Weak PSRR ☹
- Weak control of design parameters (g_m , gain, GBW ...) ☹



OA Output Buffer: Biasing Class AB “drain to drain” or “Rail to Rail” Buffer using floating current source



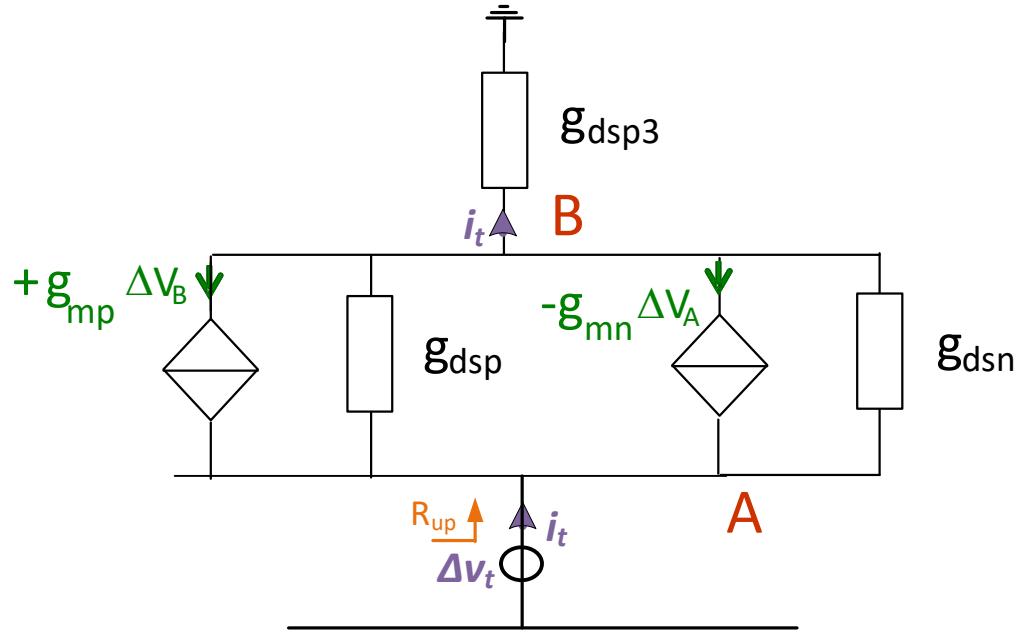
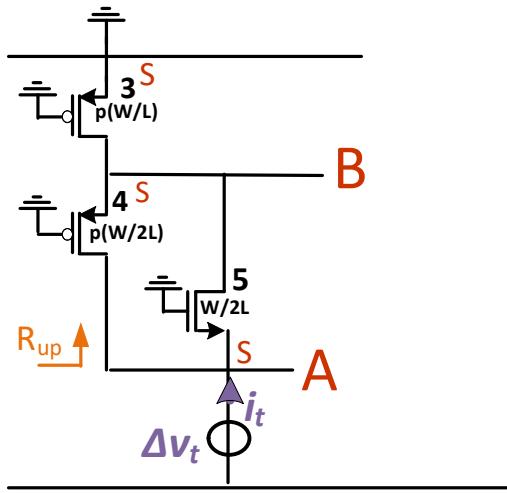
- Transistors 4 and 5 act like a **floating current source**.
- 6 forms a common-source stage that allows moving the floating current source up and down.
- The sizes and the biasing of 5 and 6 sets V_{gs} of 2 to V_{bn} (rep. the sizes and the biasing of 3 and 4 sets V_{sg} of 1 to V_{bp}) . This makes the **quiescent output current (and so ac parameters) independent on the power supply (GND, V_{DD}) and improves the PSRR ☺☺**
- The dimensioning is usually done for the quiescent condition where the output signal is zero. For this case (3,4)/1 and (5,6)/2 act like current mirrors. The ratio determines the quiescent current.

$$R_{up} \approx \frac{1}{g_{ds3}} \quad (if g_{m5} = g_{m4})$$

$$A_O \approx \frac{g_{m6}}{g_{ds6} + g_{ds3}} \frac{g_{mn} + g_{mp}}{g_{ds1} + g_{ds2} + R_L^{-1}}$$

- ☺ Output swing $\approx V_{DD}$ (Rail to Rail)
- ☺ Controlled Biasing of the output and high PSRR
- ☺ Diff to single output by (in+ sur 6 and in- sur 3)

$$R_{up} \approx \frac{1}{g_{ds3}} \quad (if \, g_{mp5} = g_{mn4}) \quad ?$$

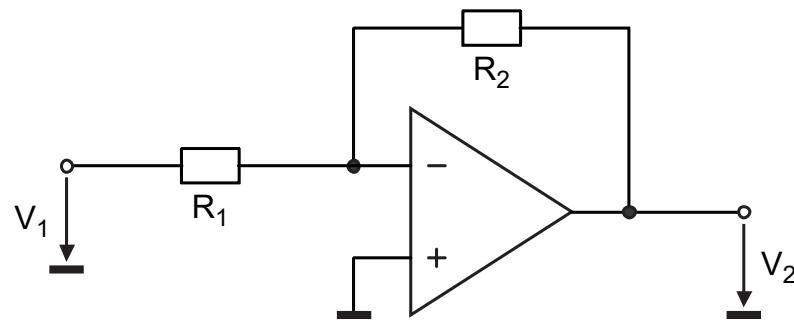


$$i_t = -g_{mp} \frac{i_t}{g_{dsp3}} + g_{mn} \Delta v_t + \left(\Delta v_t - \frac{i_t}{g_{dsp3}} \right) (g_{dsp} + g_{dsn})$$

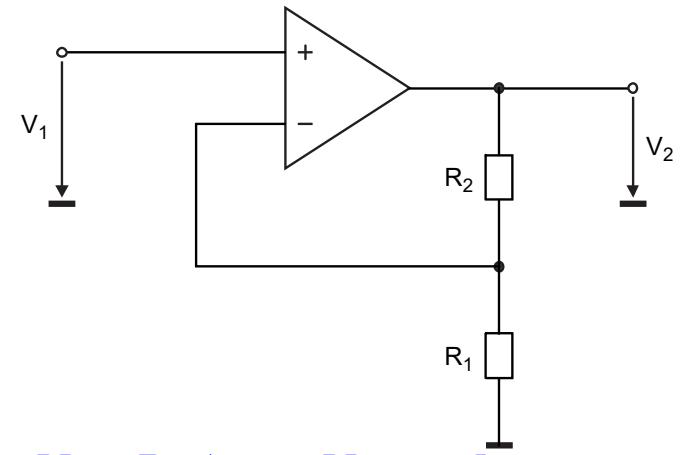
$$R_{up} = \frac{\Delta v_t}{i_t} = \frac{g_{dsp3} + g_{mp} + g_{dsp} + g_{dsn}}{g_{dsp3}(g_{mn} + g_{dsp} + g_{dsn})} \xrightarrow{if g_{mp} \approx g_{mn}} \frac{1}{g_{dsp3}}$$

Rail to Rail input amplifiers

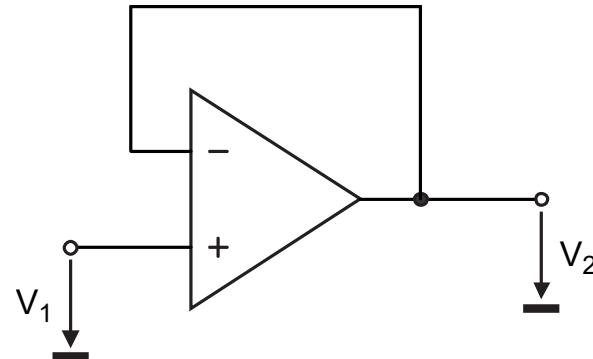
Why Rail-to-Rail input?



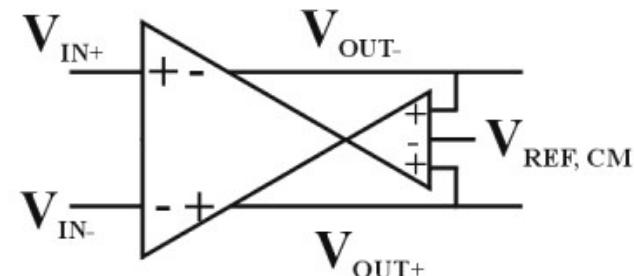
Inv-Amp: No need



Non-In Amp: No need

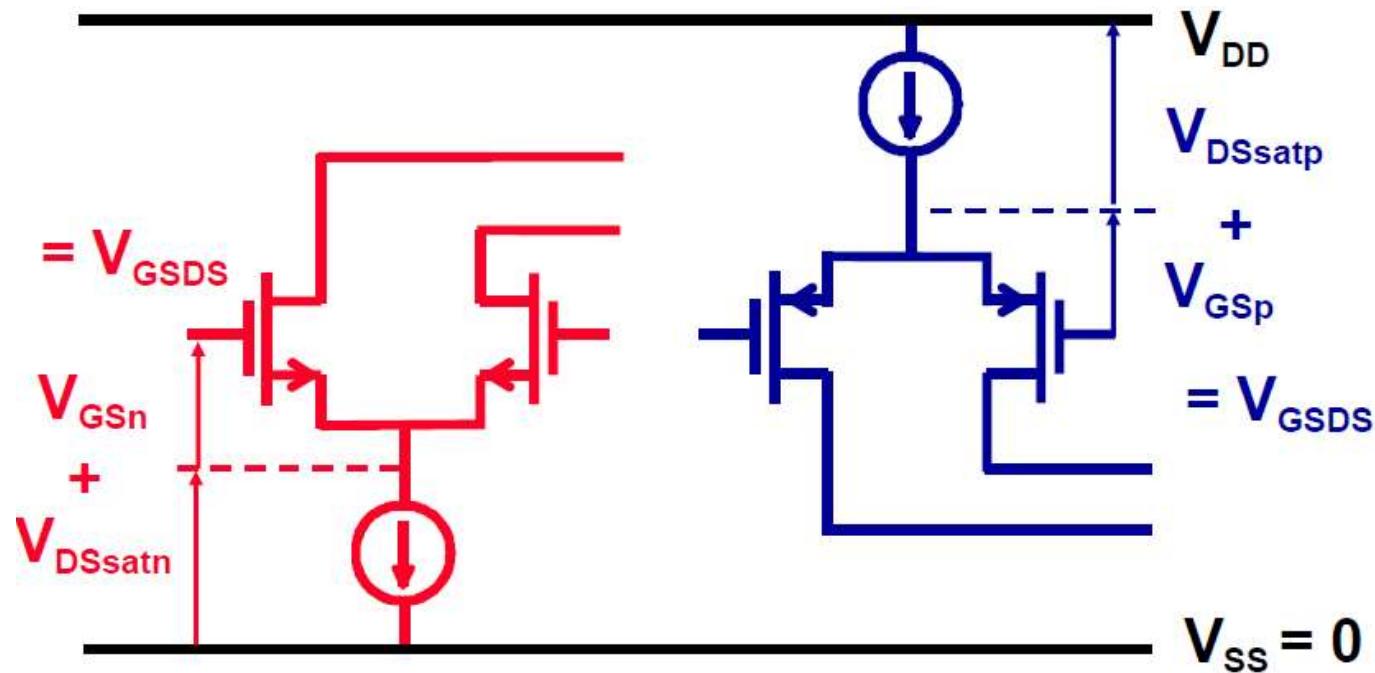


Yes !



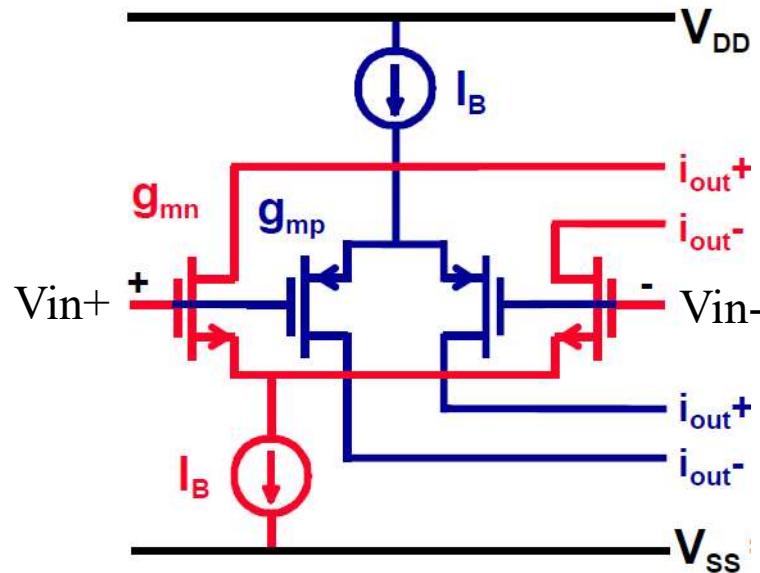
Yes !

nMOS and pMOS input common mode range in Folded-Cascode?



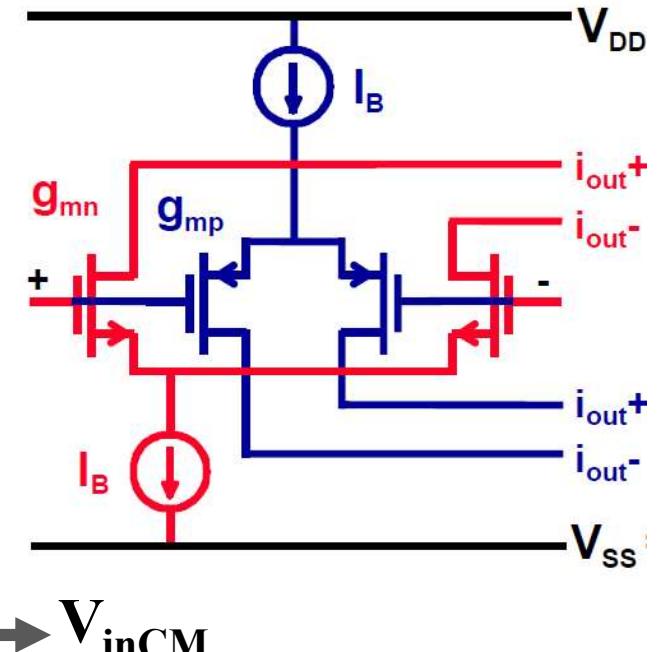
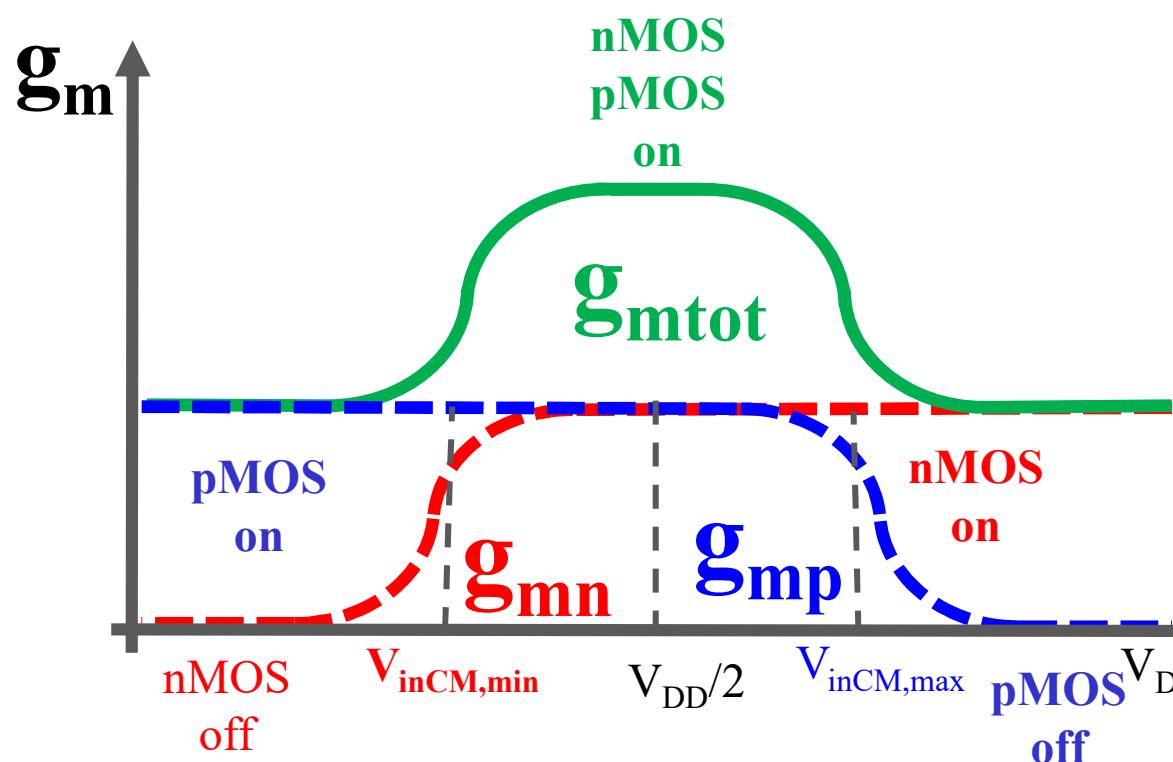
- nMOS : $V_{inCM,min} = V_{GSn} + V_{DSsatn}$ (≈ 0.5 V for $V_{ov} \approx 0.1$ V, $V_T \approx 0.3$ V and $V_{DD} = 1.2$ V)
- pMOS : $V_{inCM,max} = V_{DD} - V_{DSsatp} - V_{GSpn}$ (≈ 0.7) (\oplus for LV).
- Solution: Connect the two complementary pairs in parallel.

nMOS-pMOS input diff. pairs



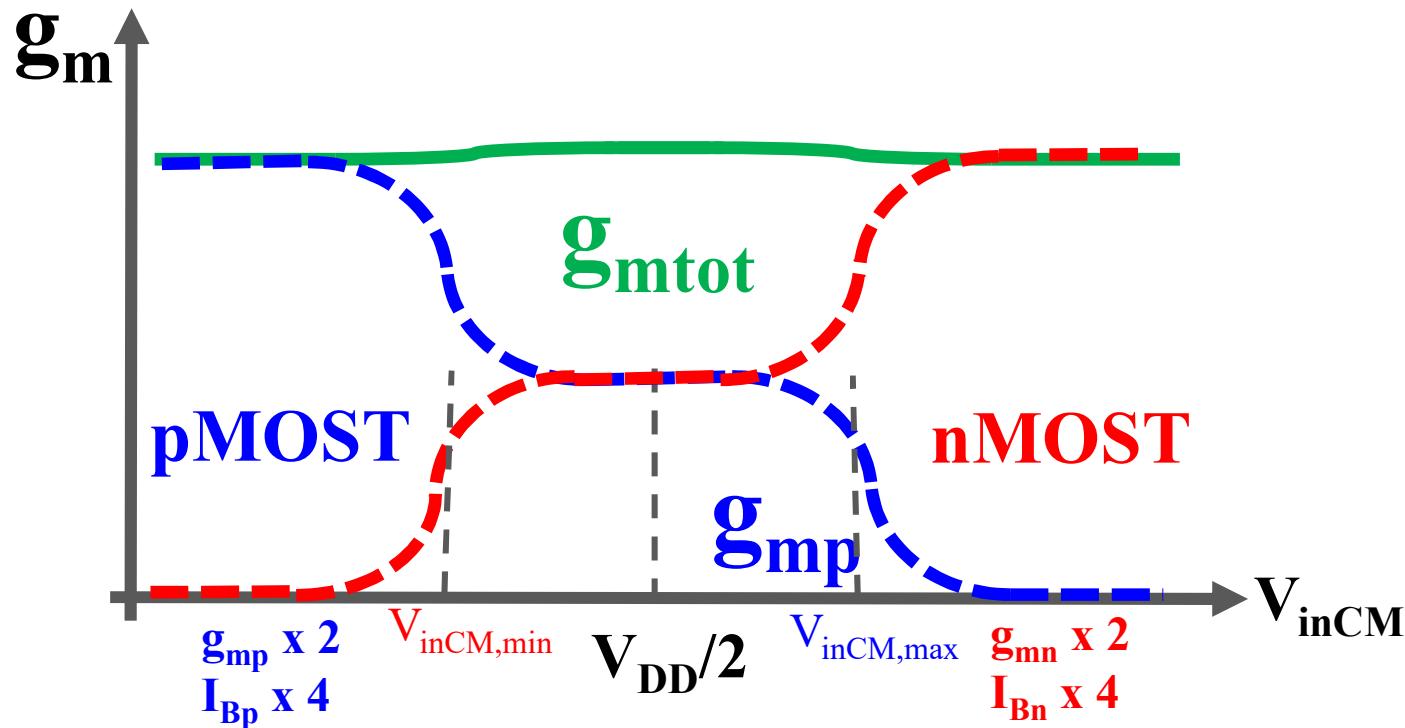
- Two complementary input pairs in parallel results common-mode input range that exceed the supply rails.
- 3 Operation Areas:
 1. V_{inCM} close to V_{ss} ; Only pMOS diff-pair is active.
 2. V_{inCM} close to $(V_{DD} - V_{ss})/2$; both the NMOS and the PMOS diff-pairs will be active.
 3. V_{inCM} close to V_{DD} only nMOS diff-pair is active.
- \odot Total g_m depends on the common-mode input level.

Problem: Unequal $g_{m,tot}$



- $\ominus g_m$ variation \rightarrow High level of distortion and variation of GBW (stability issue)
- Solution: adjust the tail currents of the differential pairs to equalize $g_{m,tot}$

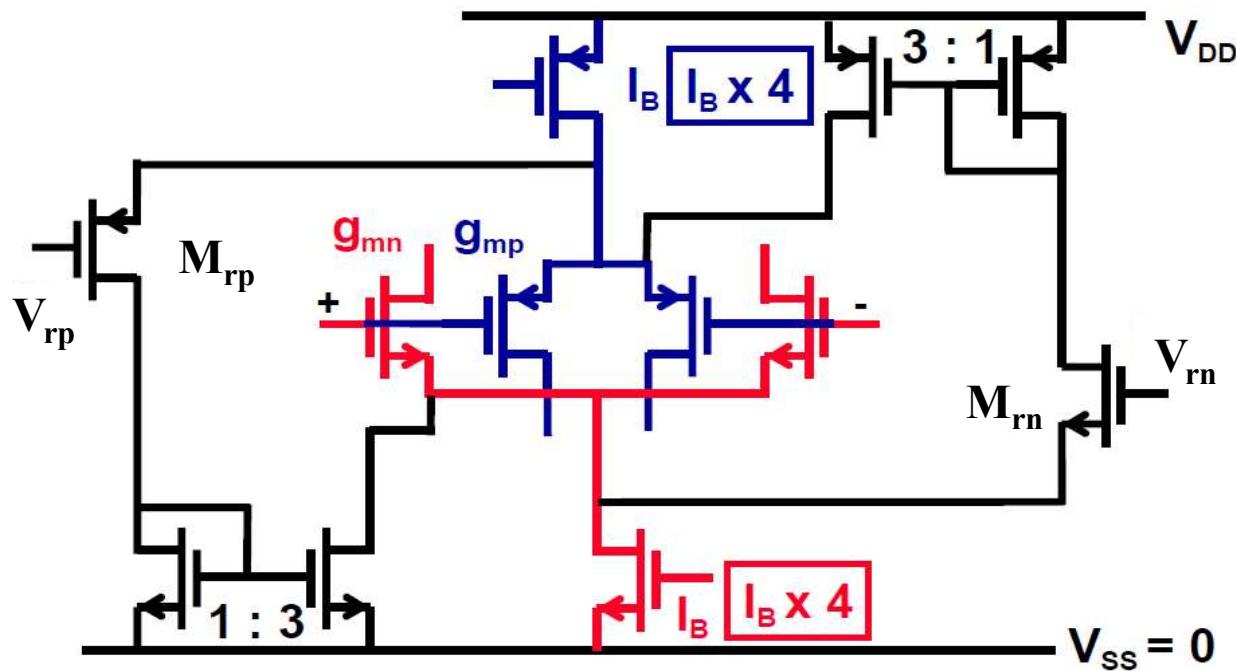
Rail-to-Rail constant- g_m



- Solution: increase the g_m of each pair by a factor of two at the borders
- In Strong inversion: Double the g_m → Multiply the current by 4.

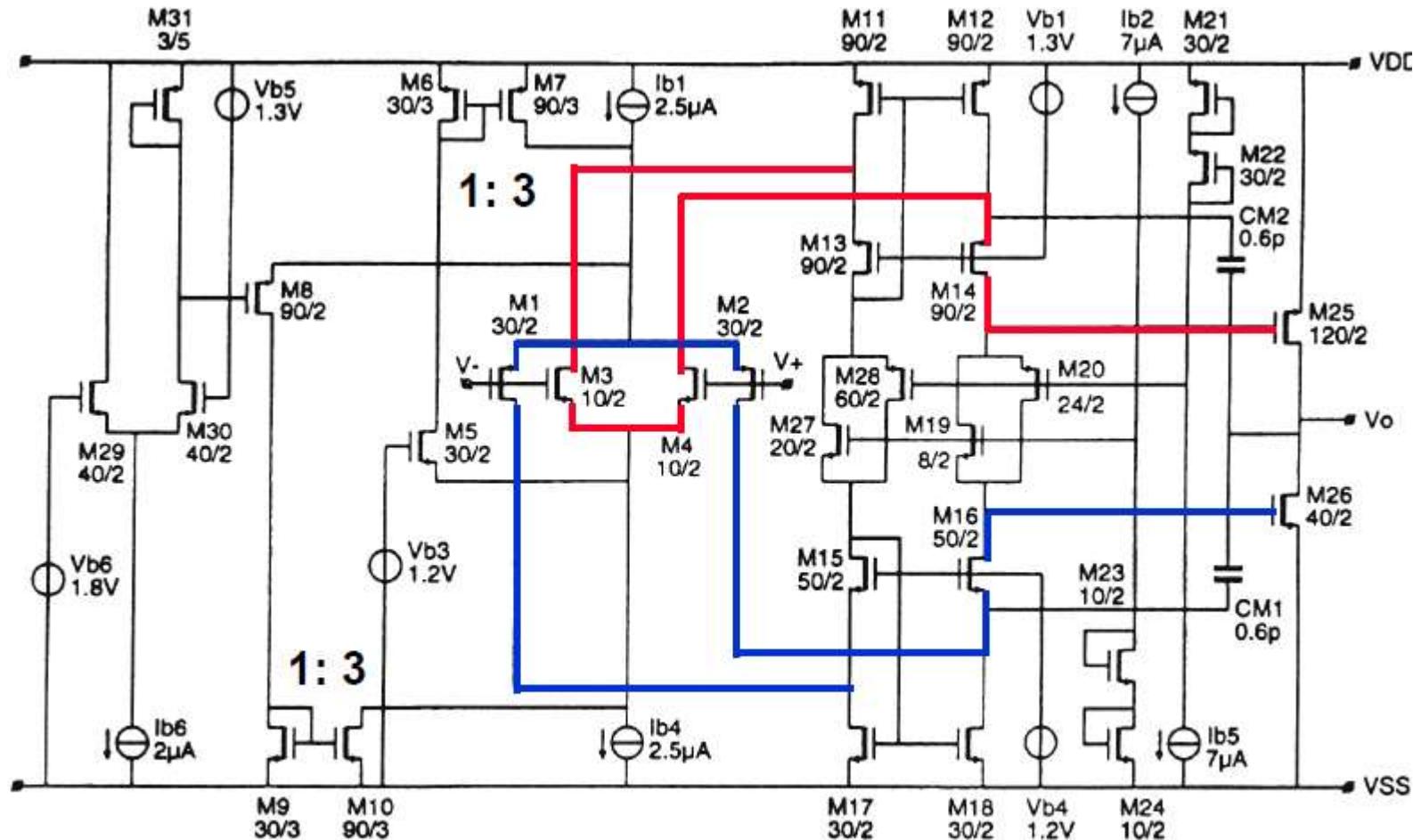
Implementation: Increase the bias current of nMOS by 4 when the bias current of pMOS drops below its nominal value, and vice versa, → add two current mirrors.

2x current mirror for input biasing



- For $V_{inCM} > V_{inCM,min}$ (nMOS on), M_{rn} is off
- For $V_{inCM} < V_{inCM,min}$ (nMOS off), M_{rn} turns on and all current I_B is pulled through transistor M_{rn} , multiplied by 3 and added to I_B of the pMOS pair (i.e. $I_{Bp} \times 4 \rightarrow g_{mp} \times 2$)
- For $V_{inCM} > V_{inCM,max}$ (pMOS off), the opposite operation occurs (i.e. $I_{Bn} \times 4 \rightarrow g_{mn} \times 2$)
- Transconductance is then equalized over the whole common-mode input range.

Rail to rail input-output Op-Amp



Ref.Hogervorst, JSSC Dec.1994, 1505-1512